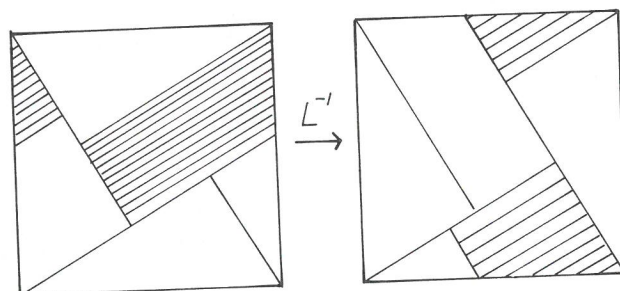


Fig. 4.3.

Fig. 4.4. The action of L on the Markov partition.

There are obvious problems with this, however. For one thing, none of the fixed points $(\dots 111\dots)$, $(\dots 222\dots)$, and $(\dots 333\dots)$ are allowed sequences in Σ_B , yet we know that there is a fixed point in T , namely $[0]$. Moreover, there is an ambiguity in our assignment of sequences when the point or one of its images lies on one of the boundaries of a rectangle.

To remedy these problems, we will work with a *quotient* of the subshift. Suppose a point p lies on the stable boundary of $R_2 \cap R_3$. Let $S(p) =$

$(\dots s_0 s_1 s_2 \dots)$
we must
 $R_1 \cap R_2$

Sub
Now let
2 cannot
 $S(p) =$
have $S(p)$
 $(\dots s_{-2} s_{-1} s_0 \dots)$
in T , i.e.
Mor

should a
 $W^s[0]$.
Then
using Fi

should b