Topological full groups of etale groupoids

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Abstract: One can construct etale groupoids G from various topological dynamics on Cantor sets X. The topological full group $[[G]]$ of G is a subgroup of $Homeo(X)$ consisting of all homeomorphisms whose graph is 'contained' in the groupoid G as a compact open subset. In recent years, it has been found that the group $[[G]]$ possesses several interesting properties. First, I will explain that when G arise from minimal $\mathbb{Z}$–actions, $[[G]]$ provide us finitely generated, simple, amenable, infinite groups. Next, for G arising from one-sided SFT, I will show that $[[G]]$ is of type F_∞ and its commutator subgroup is simple. This is regarded as a generalization of Higman-Thompson groups.