Corrections for

Integration and Microlocal Analysis in Colombeau Algebras of Generalized Functions

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The following list includes corrections to some (mathematical) misprints and a reparation of the assertion of Theorem 16 causing also slight changes in Definition 14.

[p.335] Example 4.(ii), 6.line: reproduces $\mathcal{G}_\tau$

[p.336] Formula in 2.par: $l!$ in the denominator (instead of $k!$)

[p.337] Bottom line: $d(\phi)^{k+1}$ in the denominator

[p.340] 1.par, formula: ε^{q-N} on the r.h.s. of the estimate

[p.341] Definition 14 should be changed: For $N \in \mathbb{N}_0$ define $\mathcal{G}^\infty_{\tau,N}$ to be the subalgebra ... with the following property: $\forall \alpha \in \mathbb{N}_0^n$ ...
At the end of the definition add

$$\mathcal{G}^\infty_\tau = \bigcup_{N \in \mathbb{N}_0} \mathcal{G}_{\tau,N}.$$

Equation (8): ε^{-N} on the r.h.s.

[p.342] Theorem 16: the statement has to be corrected to $\mathcal{G}^\infty_{\tau,0} \cap \mathcal{S}' = \mathcal{O}_M$. Observe that for $N > 0$ the constant C_ϕ appearing at the and of the proof is 0. (And the first part showed indeed that $\mathcal{O}_M$ is included in $\mathcal{G}^\infty_{\tau,0} \cap \mathcal{S}'$.)

[p.347] 8.line from bottom: $B_\varepsilon(0) = \phi^{(l)}(0)/\varepsilon^{l+1}$

[p.348] 7.line: $\mathcal{F}_S W_1(\phi, -\xi) = \overline{\mathcal{F}_S W_1(\bar{\phi}, \xi)}$